Q.P. Code: 16EC404													<b>R16</b>			
	Reg	. No:											]			
		SIDDI	HART	H INS	TTTT	TF O	FEN	CINE	FDIN	C &	TECH			/ <b> PI</b>	TTID	
		SIDDI	IANI		,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	ILU	r en (AU	TON	OMOU	JS)	IECI	INUL	UG I		IIUK	
		B.Teo	ch II Y	ear l	Seme	ster S	Supp	lemei	ntary	Exan	ninati	ons [	Dece	mbei	r-2021	
				RAN	NDOM (Elect	SIGN	AL and (	<b>&amp; ST(</b> Comm	<b>DCHA</b> unicat	<b>STIC</b> ion E	C <b>PRO</b> nginee	CESS ring)	SES			
	Time	: 3 hours												Ν	lax. Ma	ırks: 60
					(Ans	wer al	ll Five	Units	5 5 x 1 T-I	2 = 6	0 Mar	ks)				
1	<b>a</b> ]	Discuss al	oout To	otal Pr	obabili	ty The	eorem									6M
	<b>b</b> Define axioms of probability.													6M		
2		Tunlain a	haut I	aint a	ad Car	. 1:4:	1	<b>O</b> I	R	1 -1		41			с т.:	0 (3) 7
4	a 1 (	Condition	al prof	onn a ability	na Coi v.	lattor	iai pr	obabii	ity an	d also	) state	the p	brope	rties (	oi joint	& 6M
	b	Two cards	are di	awn fi	rom a 5	52 –ca	rd dec	k (the	first i	s not i	replace	ed).				~ 6M
	i	i) Given that first card is a queen, what is the probability that the second is also a												) a		
	(	Queen. ii)	Repea	it part	(i) but	replac	e the	first ca UNI	ard wi Γ-II	th a qu	ueen &	the s	econo	d card	with a '	7.
3	a	State and j	prove	the pro	perties	s of co	rrelati	ion fui	nction		432 - 00					6M
	b	onsider	two ra f X are	ndom	Variab 1 2 resp	les X	and ly Fi	Y such	1 that	Y = -	4X+20	). The	mea	n valu	ue and	the <b>6</b> M
		ununee o	1 21 010		1 2103p	cenve	1y. 1 11	OI	R	anon.						
4	a l	Discuss at	out th	e Sum	of Tw	o Ran	dom V	Variab	les?							6M
	<b>b</b> Statistically independent random variables X and Y have densities $fX(x)=5u(x)e^{-5x}$ $fY(y)=2u(x)e^{-2y}$ find the density of the sum W= X+Y													<b>6M</b>		
								UNIT	'-III							
5	a S b (	Show that Give the c	autoc lassifi	orrelat	tion fur of rand	nction dom p	of a s rocess	station ses.	ary ra	ndom	proce	ss is a	n eve	n func	ction of	τ. 6M 6M
6	9	a random	nroce	es is de	efined	as X(t	$\Delta = \Delta$	in(wt-	<b>∢</b> ⊦⊖) w	here /	ic a	ronsta	nt an	d A is	s a randi	om 6M
U	a 1	/ariable u	niforn	nly dis	tribute	d over	(π,-π	),chec	k X(t)	is sta	tionar	v.	in an	u O Ia		UIVI
	bΙ	Prove the	follow	ing				,				,				6M
	i	i) IRXX ( $\tau$ )I $\leq$ RXX (0) ii) RXX ( $-\tau$ )= RXX ( $\tau$ ) iii)RXX (0) = E[X <sup>2</sup> (t)] UNIT-IV														
7	a I	Briefly exp	plain t	he con	cept of	fcross	powe	er dens	sity sp	ectrur	n.					6M
	bl	find the c	ross cc	rrelati	on of t	unctic	ns sir	ιωt an	d cosa	ot.						6M
8	a /	Assume	that t	he er	rgodic	rando	om r	oroces	s X(t	) hay	s an	auto-	corre	lation	functi	ion 6M
U	b H	$RXX(\tau)=1$ Prove that	8+(2/( SXX(	$(6+\tau^2))$ $(\omega) = ST$	)[1+4cc XX(-ω	$ps(12\tau)$	)]. WI	nat is t	the ave	erage	power	of X(	t).	iution	Turret	6M
					Ì			UNIT	Г-V							
9	a I	Explain at	out L	ГI syst	em											6M
	b I	Find the p	ower c	lensity	spectr	um of	respo	onse of	f a line	ear sys	stem.					6M
10	a A	A WSS ra	indom	proce	ss x(t)	is app	olied 1	OI to the	<b>k</b> input	of an	LTI s	system	n who	ose in	npulse T	The 6M
	r b (	tive any t	(t) 153.	Find t	the mea	an out	put of	the sy	/stem.	snone	P					6M
	0	sive any t	wo sp	Joural C	enarael	CIISUC	**	** EN	D ***	spons	с.					UIVI

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